

# Deep Learning-Based Neural Distinguisher for Format-Preserving Encryption Scheme FF3

Dukyong Kim, Hyunji Kim, Kyungbae Jang, and Hwajeong Seo\*

Hansung University, Seoul, South Korea  
{dudejrdl123, khj15940120, starj1023, hwajeong84}@gmail.com

## Abstract

Distinguishing data that satisfies the differential characteristic (input/output difference) from random data is called a distinguisher attack (and this can be utilized in differential attacks). If the key can be inferred by analyzing the output difference according to the input difference, the encryption algorithm is designed to be insecure. At CRYPTO'19, Gohr presents the first deep learning-based distinguisher for round-reduced SPECK. Building upon Gohr's work, various works have been conducted. Among many other works, inspired by Baksi et al.'s work presented at DATE'21, we propose the first neural distinguisher using differences on format-preserving encryption (FPE) scheme. In a nutshell, our work achieves valid accuracy (0.98 in 8 rounds on the number domain and 0.55 in 2 rounds on the lowercase domain) with 08 can be achieved in both domains input difference model. Our work utilizes the differential characteristics employed in the classical distinguisher of presented in Dunkelman et al.'s ePrint'20 paper. They use SKINNY as the encryption algorithm for, whereas we employ a standard implementation with AES encryption. Nevertheless, it is worth noting that the  $0||K$  input difference remains independent of the internal encryption function. This result demonstrates the validity of our distinguisher, indicating its applicability to various variants of.

**Keywords:** Deep Learning, Neural Distinguisher, Advanced Encryption Standard(AES)

## 1 Introduction

Differential cryptanalysis [1] is one of the primary cryptanalysis techniques. If it is possible to predict the key by analyzing the differential characteristic, the cryptographic algorithm can be considered insecurely designed. Distinguishing data that satisfies differential characteristics (input/output differentials) from random data is referred to as a distinguisher attack, which is more powerful than an exhaustive search.

Recently, with the development of deep learning, various studies on deep learning-based distinguishers have been presented [2, 3, 4, 5, 6, 7, 8, 9, 10, 11]. Deep learning is well-suited for probabilistically distinguishing data that satisfies differential characteristics, as it has the capability to make probabilistic predictions on data. For this reason, many studies on neural distinguisher are being conducted, but research on deep learning-based distinguisher for FPE scheme, has not yet been conducted. In this work, for the first time, we propose a neural distinguisher based on deep learning for considering input differences. Significantly, our results demonstrate that the deep learning-based discriminator is well-suited for format-preserving encryption schemes as well.

## 1.1 Our Contribution

### 1.1.1 First neural distinguisher for

We propose the first neural distinguisher for. Our neural distinguisher works successfully in the number and lowercase domains, and can be effectively utilized for cryptanalysis using differential characteristics.

### 1.1.2 Neural distinguisher that can be used for distinguishing attacks against variants of

While format-preserving encryption includes an encryption function, the presence of differential characteristics remains independent of the specific encryption function. Consequently, our neural distinguisher can be effectively employed for distinguisher attacks targeting various variants of.

## 1.2 Organization

The remainder of this paper is organized as follows. In Section 2, the backgrounds of the format-preserving encryption and the neural distinguisher. In Section 3, we present the neural distinguisher for. In Section 4, we evaluate and analyze the performance of our neural distinguisher for. Finally, Section 5 concludes the paper.

# 2 Background

## 2.1 Format Preserving Encryption

Unlike general block ciphers, FPE [12] is an encryption scheme that ensures that the form of plaintext remains intact in the ciphertext. That is, when plaintext in a certain domain (number or character) is encrypted, the ciphertext also belongs to the same domain and has the same length. is a cipher designated as a NIST standard among FPE. It has 8 rounds, and its block size and key size of 32-bit and 128-bit, respectively. It is designed as a Feistel structure, and an encryption function (e.g., AES) is used as an internal round function. The choice of encryption function within the FPE framework can be altered [13, 14]. That is, there are various variants of the structure of FPE. FPE is particularly useful in cases where data format is critical for functionality or compatibility with existing systems. For example, when encrypting credit card numbers stored in a database, FPE can be used to ensure that the encrypted value remains similar to a valid credit card number, enabling processing by payment systems without modifications. Additionally, by encrypting data in a way that preserves its original format, the data using FPE can be seamlessly integrated with existing applications and databases that expect data to conform to a specific format.

## 2.2 Artificial Neural Network

Artificial neural networks [15] consist of multiple layers, each composed of multiple neurons. Neurons calculate their final values by summing the weighted values from the previous layer and passing them through an activation function. This process is repeated for each layer, starting from the input layer. The network learns by minimizing the difference between the predicted output and the actual labels using a loss function (e.g. Binary Crossentropy, Categorical Crossentropy, Mean Squared Error, etc.). In this process, an optimization function (e.g.

Stochastic gradient descent (SGD), RMSprop, Adam) is used for effective minimization. Once trained, the network can predict using its trained weights. A well-trained network can make robust predictions even on untrained data, and the design goal is to create such a robust neural network.

### 2.3 Differential Characteristic

Differential cryptanalysis [1] is a representative cryptanalysis method of block ciphers. The input difference ( $\delta$ ) is the XOR between the plaintext pairs ( $P_0, P_1$ ), and the output difference ( $\Delta$ ) is the XOR between the ciphertext pairs. As in Equation 1,  $C_0$  and  $C_1$  are the results of encrypting ( $E$ )  $P_0$  and  $P_1$ , respectively. The output difference ( $\Delta$ ) can be obtained by XORing  $C_0$  and  $C_1$ . Here, a differential characteristic means a pair of input and output differences ( $\delta, \Delta$ ). In the case of an ideal cipher, when plaintext with any input difference is encrypted, the output difference should be uniform (like random). A weak cryptographic algorithm has a certain output difference corresponding to an input difference. If the probability of satisfying an output difference for an input difference is greater than the random probability, the ciphertext can be distinguished from the random. These characteristics have remained even when encryption is performed and can be inferred probabilistically.

$$\begin{aligned} P_1 &= P_0 \oplus \delta, \\ C_0 &= E(P_0), C_1 = E(P_1), \\ \Delta &= C_0 \oplus C_1 \end{aligned} \tag{1}$$

### 2.4 Neural Network-based Distinguisher for Differential Cryptanalysis

Deep learning is a good solution for distinguisher attacks, as it can probabilistically satisfy specific output differences for given input differences. Consequently, the neural distinguisher performs probabilistic prediction on data applied to distinguisher attacks using differential characteristics. Most of the ongoing works of neural distinguishers are derived from [2], and they focus on target ciphers and input differences. In [2], proposed at CRYPTO 2019, the first neural distinguisher is proposed for round-reduced SPECK32/64. Their neural distinguisher successfully distinguish cryptographic data from random data up to 7 rounds, and extended up to 8 rounds through transfer learning. In [3], two distinguisher models considering multi-input differential and single differential are presented. And the target ciphers are GIMLI, ASCON, KNOT, and Chaskey. The proposed MLP-based neural distinguisher successfully distinguish 8-round GIMLI, 3-round ASCON, 10/12-round KNOT (256/512-bit), and 4-round Chaskey. In addition, many works [9, 8, 10, 11, 4] on various cryptographic and differential characteristics are being conducted, focusing on SPECK.

## 3 Neural distinguisher for FF3

In this paper, we present a neural distinguisher specifically designed for the FPE scheme for the first time.

### 3.1 Dataset

Figure 1 shows the process of generating the dataset using a single input difference. First, random plaintexts ( $P_0$  and  $P_1$ ) are generated. Since we have to create a plaintext pair that

satisfies the input difference,  $P_0$  is XORed with  $\delta$  (input difference) to obtain plaintext  $P_2$ . Then, the ciphertexts  $C_0$ ,  $C_1$  and  $C_2$  are calculated by encrypting the plaintexts  $P_0$ ,  $P_1$ , and  $P_2$ . Here,  $C_0$  and  $C_1$  are ciphertexts obtained by encrypting random plaintexts that do not satisfy a differential characteristic. We assign the label 0 to the result of concatenating the two values  $(C_0||C_1)$  indicating random data. On the other hand,  $C_0$  and  $C_2$  represent ciphertexts for plaintext that satisfy  $\delta$  (input difference). Thus, since the concatenated value  $(C_0||C_2)$  corresponds to cipher data that satisfies  $\Delta$  (output difference) with a certain probability, we assign the label 1 indicating cipher. Plaintext and ciphertext used in the encryption process are selected from the number domain (0 to 9) or lowercase letters domain (a to z). In addition, the dataset is consist of bits of ciphertext pairs  $(C_0||C_1$  or  $C_0||C_2)$ . Finally, due to the characteristic of FPE, we use the input difference  $0x0||K$  ( $K$  is a hexadecimal number ranging from  $0x0$  to  $0xF$ ). According to Equation (3) in [16], when  $0x0||K$  is used, the probability of differential is higher. So an experiment is conducted on the input differences presented in [16] ( $0x0||K$ ). In addition, since these input differences are independent of the round function (encryption function), they can be used in all implementations of.

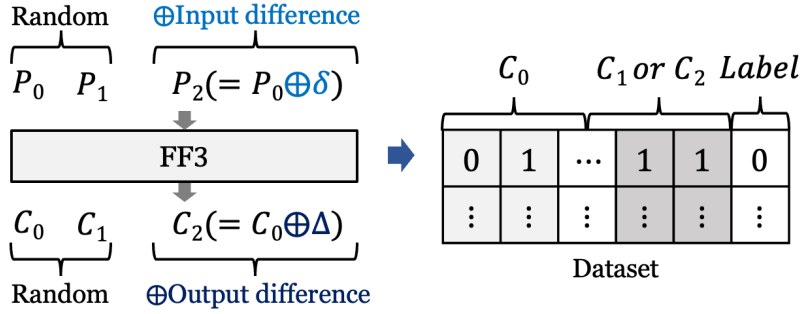


Figure 1: Dataset with one input difference.

### 3.2 Architecture and Training

Figure 2 shows the diagram of using one input difference. receives a ciphertext pair (random or differential) and classifies it into random and cipher data. First, each bit of the ciphertext pair in the dataset is assigned to each neuron of the input layer. Then, the output of the input layer passes through the hidden layer. In the output layer, a final value between 0 and 1 is calculated by applying a sigmoid activation function. Next, the loss of the final value and the actual value (0 or 1) is calculated. If training to distinguish input data is performed correctly, our model can work as a neural distinguisher for. To work as a valid distinguisher, it must achieve an accuracy greater than 0.5, which is a random probability.

Table 1 shows the hyperparameter of . Epoch is set to 15, and a dense layer with all nodes fully connected is used. performs binary classification because it needs to distinguish between differential data and random data. Thus, binary cross-entropy is used as the loss function. Plus, the Adam optimization function, known for its excellent performance, is employed in our model. For more sophisticated learning, the learning rate of the optimization function is adjusted during training (the learning rate starts at 0.001 and decreases to 0.0001).

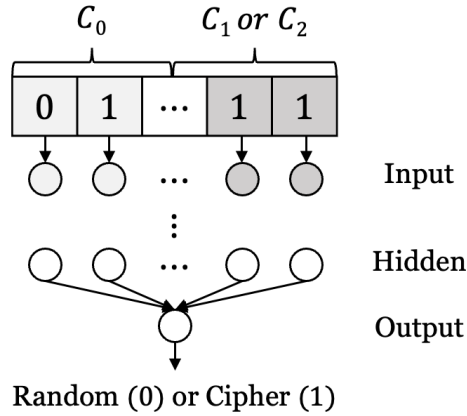


Figure 2: System diagram of .

Table 1: Hyperparameters of .

| Hyperparameters     | Descriptions                                |
|---------------------|---|
| Epochs              | 15  |
| Loss function       | binary cross-entropy                        |
| Optimizer           | Adam(0.001 to 0.0001) (Learning rate decay) |
| Activation function | ReLU (Hidden), Sigmoid (Output)             |
| Batch size          | 32  |
| Hidden layers       | 4 hidden layers with 128 units              |
| Parameters          | 74,497                                      |

## 4 Evaluation

### 4.1 Experiment Environment

This experiment is performed on Google Colab, a cloud computing platform supporting Ubuntu 20.04.5 LTS and Tesla T4 (GPU) 12GB RAM. As the programming environment, TensorFlow 2.12.0 and Python 3.9.16 are used.

### 4.2 Result for One Input Difference

Table 2 shows the result of according to input difference. In the number domain, when 08 is used as the input difference, can distinguish data up to 8 rounds, and a high accuracy of 0.98 is achieved. However, when using other input differences, relatively low accuracy is achieved compared to 08. In the lowercase domain, can distinguish data up to 2 rounds due to the increased number of cases for plaintext and ciphertext. It achieves an accuracy of 0.554 for 08, which is lower compared to the number domain. The experiment on 01 shows a 0.01 lower accuracy compared to the 08 case. The reason for this result is that, as mentioned in [16], it has differential characteristics expected when 08 is used as an input difference. Through this experiment, it is confirmed that data with output differences for  $0x0||K$  input differences can be predicted with high probability.

Table 2: Result of according to input difference.

|             | Number (8-round) |                |                |                | Lowercase (2-round) |               |               |               |
|-------------|------------------|----------------|----------------|----------------|---------------------|---------------|---------------|---------------|
|             | Training         | Validation     | Test           | Reliability    | Training            | Validation    | Test          | Reliability   |
| 01          | 0.629            | 0.624          | 0.623          | 0.123          | 0.545               | 0.544         | 0.543         | 0.043         |
| 02          | 0.829            | 0.825          | 0.825          | 0.325          | 0.552               | 0.548         | 0.545         | 0.045         |
| 03          | 0.783            | 0.769          | 0.771          | 0.271          | 0.52                | 0.514         | 0.513         | 0.013         |
| 04          | 0.761            | 0.756          | 0.757          | 0.257          | 0.523               | 0.52          | 0.517         | 0.017         |
| 05          | 0.773            | 0.752          | 0.747          | 0.247          | 0.539               | 0.538         | 0.537         | 0.037         |
| 06          | 0.758            | 0.748          | 0.75           | 0.25           | 0.523               | 0.519         | 0.523         | 0.023         |
| 07          | 0.756            | 0.739          | 0.74           | 0.24           | 0.532               | 0.529         | 0.529         | 0.029         |
| orange!1508 | orange!150.987   | orange!150.976 | orange!150.977 | orange!150.477 | green!150.556       | green!150.554 | green!150.554 | green!150.054 |
| 09          | 0.962            | 0.942          | 0.941          | 0.441          | 0.547               | 0.543         | 0.549         | 0.049         |
| 0A          | 0.969            | 0.953          | 0.951          | 0.451          | 0.538               | 0.534         | 0.532         | 0.032         |
| 0B          | 0.97             | 0.965          | 0.966          | 0.466          | 0.53                | 0.526         | 0.522         | 0.022         |
| 0C          | 0.97             | 0.959          | 0.959          | 0.459          | 0.538               | 0.536         | 0.539         | 0.039         |
| 0D          | 0.968            | 0.965          | 0.966          | 0.466          | 0.532               | 0.524         | 0.518         | 0.018         |
| 0E          | 0.964            | 0.963          | 0.963          | 0.463          | 0.549               | 0.549         | 0.551         | 0.051         |
| 0F          | 0.965            | 0.939          | 0.941          | 0.441          | 0.528               | 0.524         | 0.524         | 0.024         |

In a work [16] of the classical distinguisher for, the authors use SKINNY as an internal encryption function. On the other hand, the we used is the default implementation using AES. The distinguisher attack using the input differences  $0x0||K$  succeeds despite the internal encryption function being changed. In addition, in our results, it can be also confirmed that the accuracy for 08 is higher and the accuracy for 01 is lower, relatively. This result seems to have come from the fact that the differential characteristic of FPE is independent of the inner encryption function. Thus, we believe that our neural distinguisher structure and differential characteristics may be applicable to other variants as well (naturally, training needs to be performed again according to the data).

## 5 Conclusion

In this work, we propose the first neural distinguisher for. In the , when 08 is used, a high accuracy of 0.98 is achieved for 8 rounds. In the lowercase domain, up to 2 rounds can be distinguished. Through our experiments, we confirm that the accuracy of 08 is higher, and the accuracy of 01 is low, relatively. In our implementation, a different internal encryption function is used than existing implementations, but the differential characteristic and probabilities appear to be maintained. That is, the input difference  $0x0||K$  remains independent of the inner encryption function. Thus, it seems that our distinguisher may be utilized for variants of. In future work, we will train our wider domains (e.g., uppercase letter, combination of each domain). Also, we plan to optimize the neural distinguisher to achieve high reliability.

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